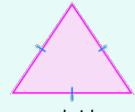
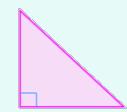
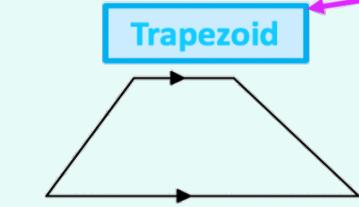


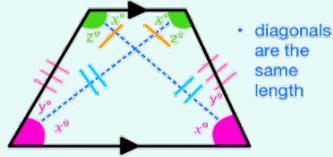
2D Shape – Polygons (n sides) Properties

Triangle (3 sides)	Scalene	Isosceles	Equilateral	Right			
							
		Two equal sides	Three equal sides and all angles are 60°	One of the angles is 90°			
Quadrilateral (4 sides)	Parallelograms (2 pairs parallel sides)			Non-Parallelogram (1 or no pairs parallel sides)			
Quadrilateral Properties	Rectangle	Square	Rhombus	Kite	Trapezium (UK) Trapezoid (US)		
							
	All sides equal		✓	✓			
	Opposite sides equal	✓	✓	✓		One pair	2 disjoint pairs of consecutive sides are equal
	Opposite sides parallel	✓	✓	✓	✓	One pair	
	Opp. Angles equal	✓	✓	✓	✓		Only one pair of opposite angles are equal (larger pairs of angles)
	4 right angles		✓	✓			
	Consecutive angles add to 180°	✓	✓	✓	✓	Non base angles add to 180°	Non base angles add to 180°
	Diagonals equal		✓	✓			✓
	Diagonals are perpendicular			✓	✓		✓
	Diagonals bisect each other	✓	✓	✓	✓		✓

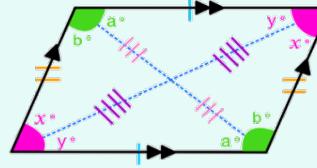
Quadrilaterals



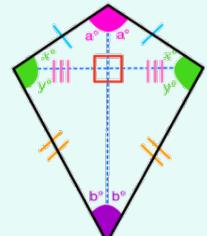
Isosceles Trapezoid



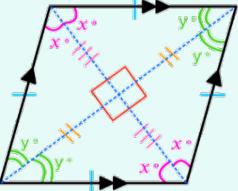
Parallelogram



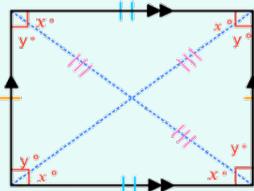
Kite



Rhombus

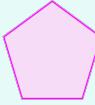
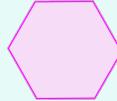
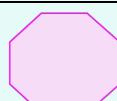
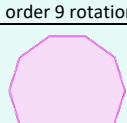
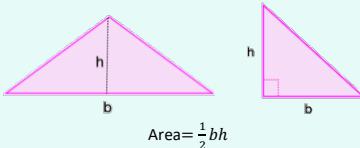
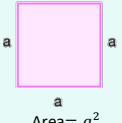
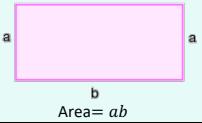
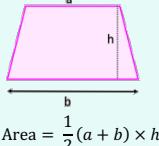
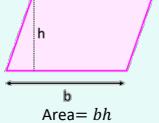
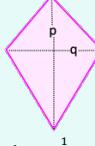
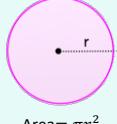


Rectangle



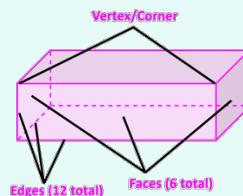
Square

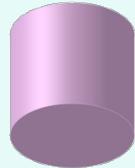
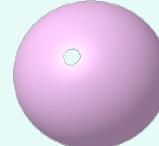
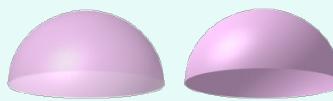
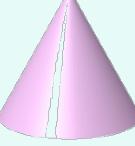
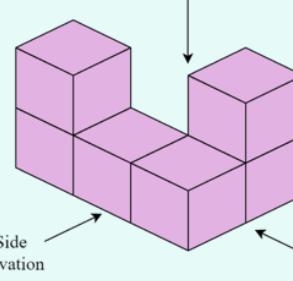
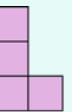


Pentagon (5 sides)		0 lines of symmetry and order 5 rotational symmetry (if regular)
Hexagon (6 sides)		6 lines of symmetry and order 6 rotational symmetry (if regular)
Heptagon (7 sides)		7 lines of symmetry and order 7 rotational symmetry
Octagon (8 sides)		8 lines of symmetry and order 8 rotational symmetry (if regular)
Nonagon (9 sides)		9 lines of symmetry and order 9 rotational symmetry (if regular)
Decagon (10 sides)		10 lines of symmetry and order 10 rotational symmetry (if regular)
2D Shape Areas		
Triangle		$\text{Area} = \frac{1}{2}bh$
Square		$\text{Area} = a^2$
Rectangle		$\text{Area} = ab$
Trapezium/Trapezoid		$\text{Area} = \frac{1}{2}(a + b) \times h$
Parallelogram		$\text{Area} = bh$
Kite		$\text{Area} = \frac{1}{2}pq$
Circle		$\text{Area} = \pi r^2$

3D shape - Curved Faces/Edges Properties

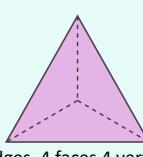
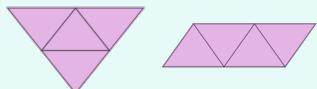
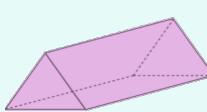
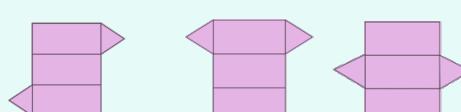
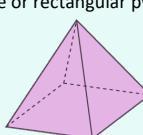
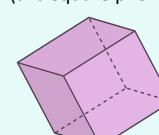
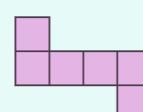
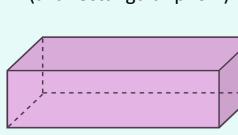
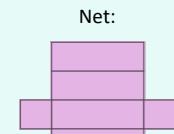
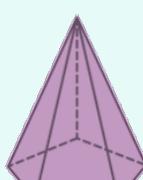
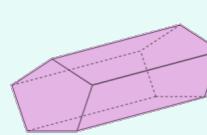
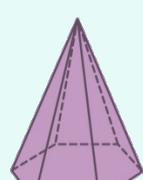
we now look at faces, vertices and edges rather than sides

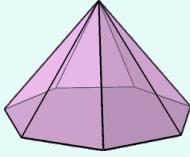
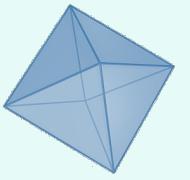
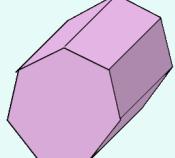
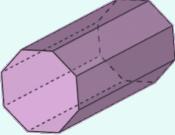


Cylinder	 <div style="display: flex; justify-content: space-around;"> <div style="text-align: center;"> <p>Net:</p>  </div> </div> <p>Area= $2\pi rh + 2\pi r^2$ Volume= $\pi r^2 h$</p> <p>2 curved edges, 3 faces (1 curved and 2 flat circles), 0 vertices</p>
Sphere	 <p>Area= $4\pi r^2$ Volume= $\frac{4}{3}\pi r^3$</p> <p>0 edges, 1 curved face, 0 vertices</p>
Hemisphere	 <p>Area= $3\pi r^2$ Volume= $\frac{4}{3}\pi r^3$</p> <p>1 curved edge, 2 faces (1 curved and one flat circle), 0 vertices</p>
Cones	 <div style="display: flex; justify-content: space-around;"> <div style="text-align: center;"> <p>Net:</p>  </div> </div> <p>Area= $\pi rl + \pi r^2$ Volume= $\frac{1}{3}\pi r^2 h$</p> <p>1 curved edge, 2 faces (1 curved and one flat circle), 1 vertex</p>
Plans and elevations	<p>Plan: when looked at from above. Front elevation: When looked at from the front. Side elevation: When looked at from the side</p> <div style="display: flex; align-items: center;"> <div style="text-align: center; margin-right: 20px;">  <p>Plan</p>  </div> <div style="text-align: center;"> <p>Front elevation</p>  </div> <div style="text-align: center;"> <p>Side elevation</p>  </div> </div>

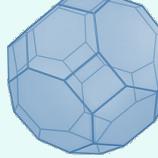
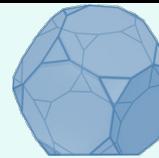
3D- Straight Edges Polyhedra (n faces) – Prisms or Pyramids

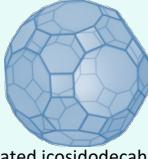
These are called Polyhedra rather than Polygons (the name for 2D shapes). For 3D shapes we count faces, unlike side lengths for 2D shapes. We classify Polyhedra as either prisms (same face at each end) OR pyramids (triangular faces that join at a point)

	Prism (same face at each end)	Pyramids (triangular faces that join at a point)
Tetrahedron (4 faces)		<p>Triangular pyramid</p>  <p>6 edges, 4 faces 4 vertices</p> <p>Net: Made of 4 triangles</p>  <p>There are 2 possible nets</p>
Pentahedron (5 faces)	<p>Triangular prism</p>  <p>9 edges, 5 faces 6 vertices</p> <p>Net: Made of 3 rectangle and 2 triangles</p>  <p>There are 9 possible nets</p>	<p>Square or rectangular pyramid</p>  <p>8 edges, 5 faces 5 vertices</p> <p>Net: Made of 1 square/rectangle and 4 triangles</p> 
Hexahedron (6 faces)	<p>Cube (aka square prism)</p>  <p>Net:</p>  <p>There are 11 possible nets</p> <p>Cuboid (aka rectangular prism)</p>  <p>Net:</p>  <p>There are 54 possible nets</p> <p>Trapezoidal Prism</p>  <p>12 edges, 6 faces 8 vertices</p> <p>Frustum</p> 	<p>Pentagonal pyramid</p>  <p>10 edges, 6 faces 6 vertices</p>
Heptahedron (7 faces)	<p>Pentagonal prism</p>  <p>15 edges, 7 faces 10 vertices</p>	<p>Hexagonal pyramid</p>  <p>12 edges, 7 faces 7 vertices</p>

Octahedron (8 faces)	Hexagonal prism  18 edges, 8 faces 12 vertices	Truncated Tetrahedron (you don't need to know this)  Made of 4 triangles and 4 hexagons (truncate all 4 vertices of a regular tetrahedron at one third of the original edge length)		Heptagonal pyramid  4 edges, 8 faces, 8 vertices	Double Pyramid (you don't need to know this)  Made of 8 triangles
Enneahedron (9 faces)			Heptagonal prism  21 edges, 9 faces 14 vertices		
Decahedron (10 faces)			Octagonal prism  24 edges, 10 faces 16 vertices		

You do not need to know the following, but some may find it interesting!

Dodecahedron (12 faces)	 Made of 12 pentagons						
Cuboctahedron (14 faces)	 Made of 8 triangles and 6 squares	 Truncated Octahedron Made of 8 hexagons and 6 squares (remove 6 right square pyramids from each point)	 Truncated Cube Made of 8 triangles and 6 octagons (cut off the vertices of a cube so that every edge has the same length)				
Icosahedron (20 faces)	 Made of 20 triangles						
Rhombicuboctahedron (26 faces)	 Small Made of 8 triangles and 18 squares	 Great Made of 12 squares, 8 hexagons and 6 octagons					
Icosidodecahedron (32 faces)	 made of 20 triangles and 12 pentagons	 Truncated dodecahedron Made of 20 triangles and 12 decagons (cut off the corners of the dodecahedron so the pentagon	 Truncated Icosahedron This is the FOOTBALL Made of 12 pentagons and 20 hexagons (cut the 12 vertices of a Icosahedron so that $\frac{1}{3}$ of each edge is cut off at each of both ends)				

		faces become decagons and the corners become triangles)	
Snub Cube (38 faces)			Made of 32 triangles and 6 squares
Rhombicosidodecahedron (62 faces)		Made of 20 triangles, 30 squares and 12 pentagons Note: There is also a Great Rhombicosidodecahedron consisting of 30 squares, 20 hexagons and 12 decagons	 Truncated icosidodecahedron Made of 30 squares, 20 hexagons, 12 decagons (cut off icosidodecahedron $\frac{1}{3}$ of the way into each side)
Snub Dodecahedron (92 faces)			Made of 80 triangles and 12 pentagons